#### **CHAPTER IV**

#### **RESEARCH FINDING**

This chapter explained the research finding. It consisted of the calculation of trying out instrument, the data description, the data analysis, and the data interpretation.

#### **4.1 The Calculation of Trying out Instrument**

Trying out instrument is the way to find out the validity and reliability instruments. It helps the writer to know the instrument was good or not. In this research, the writer used the validity and reliability for calculating the item of the test. In addition, the writer used manual formula and SPSS for calculating the item of the test.

## 4.1.1 The Validity of Trying Out Instrument

The formula of manual calculation is the correlation product moment formula. The formula as follows:

$$r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$$

 Table 4.1 The Validity of Trying Out Instrument Using Manual

Calculation

	The Score of r <sub>xy</sub>	Valid/ Invalid
1.	$\mathbf{r}_{xy} = \frac{N\sum XY - (\sum X)(\sum Y)}{\sqrt{\{N\sum X^2 - (\sum X)^2\}\{N\sum Y^2 - (\sum Y)^2\}}}$	Valid

20.306 - (14)(368)	
$=\frac{1}{\sqrt{\{20.14-(14)^2\}\{20.7574-368^2\}}}$	
6120 - 5152	
$=\frac{1}{\sqrt{\{280-196\}\{151480-135424\}}}$	
968	
$-\sqrt{\{84.16056\}}$	
$=\frac{968}{\sqrt{1348704}}=\frac{968}{1161,33}=0,833$	
$N\Sigma XY - (\Sigma X)(\Sigma Y)$	
2. $r_{xy} = \frac{1}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
_ 20.323 - (16)(368)	
$-\frac{1}{\sqrt{\{20.16-(16)^2\}\{20.7574-368^2\}}}$	
6460 - 5888	Valid
$-\frac{1}{\sqrt{320-256}\left\{151480-135424\right\}}$	vand
$=\frac{572}{\sqrt{\{64.16056\}}}$	
$=\frac{572}{\sqrt{1027584}}=\frac{572}{1013,69}=0,564$	
3. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.277 - (13)(368)	
$=\frac{1}{\sqrt{\{20.13-(13)^2\}\{20.7574-368^2\}}}$	
5540 - 4784	
$=\frac{1}{\sqrt{\{260-169\}\{151480-135424\}}}$	Valid
756	
$\sqrt{91.16056}$	
$=\frac{756}{\sqrt{1461096}}=\frac{756}{1208,75}=0,625$	
4. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.322 - (15)(368)	
$=\frac{1}{\sqrt{\{20.15-(15)^2\}\{20.7574-368^2\}}}$	Valid
6440 - 5520	
$=\frac{1}{\sqrt{300-225}\left\{151480-135424\right\}}}$	

		$=\frac{920}{\sqrt{75.16056}}$	
		$=\frac{920}{920}=\frac{920}{920}=0.838$	
		$\sqrt{1204200}$ 1097,36 0,050	
		$N \sum VV_{-}(\sum V)(\sum V)$	
5.	$\mathbf{r}_{\mathbf{x}\mathbf{y}}$	$= \frac{N \sum X^2 - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
		20.121 - (6)(368)	
		$-\frac{1}{\sqrt{\{20.6-(6)^2\}\{20.7574-368^2\}}}$	
		2420 - 2208	Invalid
		$-\frac{1}{\sqrt{\{120-36\}\{151480-135424\}}}$	Ilivaliu
		=	
		$\sqrt{84.16056}$	
		$=\frac{212}{\sqrt{1348704}}=\frac{212}{1161,33}=0,182$	
6.	r <sub>xv</sub>	$= \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{(x \sum Y)^2 (X \sum Y)^2 (X \sum Y)^2 (X \sum Y)^2}}$	
	5	$\sqrt{\{N \sum X^2 - (\sum X)^2\}} \{N \sum Y^2 - (\sum Y)^2\}}$ 20.179 (11)(269)	
		$=\frac{20.176 - (11)(306)}{\sqrt{(20.11 - (11)^2)(20.7574 - 368^2)}}$	
		2560 4049	
		$=\frac{3500-4048}{\sqrt{(220-121)(151480-135424)}}$	Invalid
		-488	mvand
		$=\frac{400}{\sqrt{\{99.16056\}}}$	
		$=\frac{-488}{\sqrt{4500544}}=\frac{-488}{1260577}=-0,387$	
		V1589544 1260,77	
7.	r	$= \frac{N \sum XY - (\sum X)(\sum Y)}{\sum XY - (\sum X)(\sum Y)}$	
	- ХУ	$\sqrt{\{N\sum X^2 - (\sum X)^2\}}\{N\sum Y^2 - (\sum Y)^2\}$	
		$=\frac{20.261 - (12)(368)}{\sqrt{(20.42)(12)(20.7574 - 200^2)}}$	
		$\sqrt{20.12 - (12)^2}$	
		$=\frac{5220-4416}{\sqrt{\{240-144\}\{151480-135424\}}}$	Valid
		804	
		$-\frac{1}{\sqrt{96.16056}}$	
		$=\frac{804}{\sqrt{1541376}}=\frac{804}{1241,52}=0,647$	
1			

8. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\} \{N \sum Y^2 - (\sum Y)^2\}}}}$ $= \frac{20.310 - (15)(368)}{\sqrt{\{20.15 - (15)^2\} \{20.7574 - 368^2\}}}$ $= \frac{6200 - 5520}{\sqrt{\{300 - 225\} \{151480 - 135424\}}}$ $= \frac{680}{\sqrt{\{75.16056\}}}$ $= \frac{680}{\sqrt{1204200}} = \frac{680}{1097,36} = 0,619$	Valid
9. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$ $= \frac{20.112 - (5)(368)}{\sqrt{\{20.5 - (5)^2\}\{20.7574 - 368^2\}}}$ $= \frac{2240 - 1840}{\sqrt{\{100 - 25\}\{151480 - 135424\}}}$ $= \frac{400}{\sqrt{\{75.16056\}}}$ $= \frac{400}{\sqrt{1204200}} = \frac{400}{1097,36} = 0,364$	Invalid
$10. r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$ $= \frac{20.63 - (3)(368)}{\sqrt{\{20.3 - (3)^2\}\{20.7574 - 368^2\}}}$ $= \frac{1260 - 1104}{\sqrt{\{60 - 9\}\{151480 - 135424\}}}$ $= \frac{156}{\sqrt{\{51.16056\}}}$ $= \frac{156}{\sqrt{\$18856}} = \frac{156}{904,90} = 0,172$	Invalid
11. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	Invalid

= <u>20.90 - (4)(368)</u>	
$\sqrt{\{20.4 - (4)^2\}\{20.7574 - 368^2\}}$	
1800 - 1472	
$-\frac{1}{\sqrt{\{80-16\}\{151480-135424\}}}$	
=	
$\sqrt{\{64.16056\}}$	
$=\frac{328}{\sqrt{1027584}}=\frac{328}{1013,69}=0,323$	
12. $r_{xy} = \frac{N \sum X^2 - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.268 - (13)(368)	
$=\frac{1}{\sqrt{\{20.13-(13)^2\}\{20.7574-368^2\}}}$	
5360 - 4784	Valid
$=\frac{1}{\sqrt{\{260-169\}\{151480-135424\}}}$	vand
576	
$\sqrt{\{91.16056\}}$	
$=\frac{576}{\sqrt{1461096}}=\frac{576}{1208,75}=0,476$	
13. $\mathbf{r}_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.55 - (3)(368)	
$=\frac{10000}{\sqrt{\{20.3-(3)^2\}\{20.7574-368^2\}}}$	
1100 - 1104	
$=\frac{1}{\sqrt{\{60-9\}\{151480-135424\}}}$	Invalid
$=\frac{-4}{\sqrt{\{51.16056\}}}$	
$=\frac{-4}{\sqrt{818856}}=\frac{-4}{904,90}=-0,004$	
14. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
_ 20.256 - (13)(368)	
$-\frac{1}{\sqrt{\{20.13-(13)^2\}\{20.7574-368^2\}}}$	Invalid
5120 - 4784	
$-\frac{1}{\sqrt{260-169}(151480-135424)}}$	

$$\begin{aligned} = \frac{336}{\sqrt{(91.16056)}} \\ = \frac{336}{\sqrt{1461096}} = \frac{336}{1208,75} = 0,277 \\ 15. r_{xy} = \frac{N\Sigma XY - (\Sigma X)(\Sigma Y)}{\sqrt{(N\Sigma X^2 - (\Sigma X)^2)(N\Sigma Y^2 - (\Sigma Y)^2)}} \\ = \frac{20.51 - (3)(368)}{\sqrt{(20.3 - (3)^2)\{20.7574 - 368^2\}}} \\ = \frac{1020 - 1104}{\sqrt{(60 - 9)\{151480 - 135424\}}} \\ = \frac{-84}{\sqrt{(51.16056)}} \\ = \frac{-84}{\sqrt{51.16056)}} = -0,092 \\ 16. r_{xy} = \frac{N\Sigma XY - (\Sigma X)(\Sigma Y)}{\sqrt{(N\Sigma X^2 - (\Sigma X)^2)(N\Sigma Y^2 - (\Sigma Y)^2)}} \\ = \frac{20.198 - (10)(368)}{\sqrt{\{20.0 - 100\}\{151480 - 135424\}}} \\ = \frac{3960 - 3680}{\sqrt{\{200 - 100\}\{151480 - 135424\}}} \\ = \frac{280}{\sqrt{1605600}} = \frac{280}{1267,12} = 0,220 \\ 17. r_{xy} = \frac{N\Sigma XY - (\Sigma X)(\Sigma Y)}{\sqrt{(N\Sigma X^2 - (\Sigma X)^2)(N\Sigma Y^2 - (\Sigma Y)^2)}} \\ = \frac{20.140 - (6)(368)}{\sqrt{\{20.6 - (6)^2\}\{20.7574 - 368^2\}}} \\ = \frac{2800 - 2208}{\sqrt{\{120 - 36\}\{151480 - 135424\}}} \\ = \frac{592}{\sqrt{(84.16056)}} \end{aligned}$$
 Valid

$=\frac{592}{\sqrt{1348704}}=\frac{592}{1161,33}=0,509$	
$18. r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\} \{N \sum Y^2 - (\sum Y)^2\}}}$ $= \frac{20.30 - (2)(368)}{\sqrt{\{20.2 - (2)^2\} \{20.7574 - 368^2\}}}$ $= \frac{600 - 736}{\sqrt{\{40 - 4\} \{151480 - 135424\}}}$ $= \frac{-136}{\sqrt{\{36.16056\}}}$ $= \frac{-136}{\sqrt{578016}} = \frac{-136}{760,27} = -0,178$	Invalid
$19. r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$ $= \frac{20.275 - (13)(368)}{\sqrt{\{20.13 - (13)^2\}\{20.7574 - 368^2\}}}$ $= \frac{5500 - 4784}{\sqrt{\{260 - 169\}\{151480 - 135424\}}}$ $= \frac{716}{\sqrt{\{91.16056\}}}$ $= \frac{716}{\sqrt{1461096}} = \frac{716}{1208,75} = 0,592$	Valid
20. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$ $= \frac{20.287 - (14)(368)}{\sqrt{\{20.14 - (14)^2\}\{20.7574 - 368^2\}}}$ $= \frac{5740 - 5152}{\sqrt{\{280 - 196\}\{151480 - 135424\}}}$ $= \frac{588}{\sqrt{\{84.16056\}}}$ $= \frac{588}{\sqrt{1348704}} = \frac{588}{1161,33} = 0,506$	Valid

21. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\} \{N \sum Y^2 - (\sum Y)^2\}}}$ $= \frac{20.77 - (4)(368)}{\sqrt{\{20.4 - (4)^2\} \{20.7574 - 368^2\}}}$ $= \frac{1540 - 1472}{\sqrt{\{80 - 16\} \{151480 - 135424\}}}$ $= \frac{68}{\sqrt{\{64.16056\}}}$ $= \frac{68}{\sqrt{1027584}} = \frac{68}{1013,69} = 0,067$	Invalid
$ 22. r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\} \{N \sum Y^2 - (\sum Y)^2\}}} \\ = \frac{20.275 - (13)(368)}{\sqrt{\{20.13 - (13)^2\} \{20.7574 - 368^2\}}} \\ = \frac{5500 - 4784}{\sqrt{\{260 - 169\} \{151480 - 135424\}}} \\ = \frac{716}{\sqrt{\{91.16056\}}} \\ = \frac{716}{\sqrt{1461096}} = \frac{716}{1208,75} = 0,592 $	Valid
23. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$ $= \frac{20.310 - (14)(368)}{\sqrt{\{20.14 - (14)^2\}\{20.7574 - 368^2\}}}$ $= \frac{6200 - 5152}{\sqrt{\{280 - 196\}\{151480 - 135424\}}}$ $= \frac{1048}{\sqrt{\{84.16056\}}}$ $= \frac{1048}{\sqrt{1348704}} = \frac{1048}{1161,33} = 0,902$	Valid
24. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	Valid

= <u>20.231 - (10)(368)</u>	
$\sqrt{\{20.10 - (10)^2\}\{20.7574 - 368^2\}}$	
4620 - 3680	
$-\sqrt{\{200-100\}\{151480-135424\}}$	
=	
$\sqrt{\{100.16056\}}$	
$=\frac{940}{\sqrt{1605600}}=\frac{940}{1267,12}=0,741$	
25. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
_ 20.81 - (4)(368)	
$=\frac{1}{\sqrt{\{20.4-(4)^2\}\{20.7574-368^2\}}}$	
1620 - 1472	
$=\frac{1}{\sqrt{80-16}\left\{151480-135424\right\}}}$	Valid
= 148	
$\sqrt{64.16056}$	
$=\frac{148}{\sqrt{1027584}}=\frac{148}{1013,69}=0,146$	
26. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{(N \sum Y^2 - (\sum Y)^2)(N \sum Y^2 - (\sum Y)^2)}}$	
$\frac{\sqrt{(N_2 X - (2X))} \sqrt{(N_2 Y - (2Y))}}{20 237 - (11)(368)}$	
$=\frac{20.237}{\sqrt{(20.11-(11)^2)(20.7574-368^2)}}$	
$\sqrt{(20.11)}$ (11) $\sqrt{(20.73)}$ 300 $\sqrt{(20.73)}$	
$=\frac{1740^{-1040}}{\sqrt{220-121}(151480-135424)}}$	Valid
692	vund
$=\frac{0.92}{\sqrt{\{99.16056\}}}$	
$- \frac{692}{692} - \frac{692}{692} - 0.548$	
$-\sqrt{1589544}$ 1260,77 - 0,540	
$N\Sigma YV_{-}(\Sigma V)(\Sigma V)$	
27. $\mathbf{r}_{xy} = \frac{N \sum X^{2} - (\sum X)(\sum I)}{\sqrt{\{N \sum X^{2} - (\sum X)^{2}\}\{N \sum Y^{2} - (\sum Y)^{2}\}}}$	
20.65 - (4)(368)	Invalid
$=\frac{1}{\sqrt{\{20.4-(4)^2\}\{20.7574-368^2\}}}$	

130	0 - 1472	
$-\frac{1}{\sqrt{80-16}}$	151480 - 135424}	
$=\frac{1}{\sqrt{64.16056}}$		
	-172 - 0.160	
$-\frac{1}{\sqrt{1027584}}$	1013,69 0,109	
28. $r_{xy} = \frac{N \sum XY - (\sum XY)}{\sqrt{2}}$	$(\Sigma X)(\Sigma Y)$	
$\sqrt{\{N\sum X^2 - (\sum X)^2\}}$	$\{N\sum Y^2 - (\sum Y)^2\}$	
=20.77	- (4)(368)	
$-\sqrt{\{20.4-(4)^2\}}$	$^{2}$ {20.7574 – 368 <sup>2</sup> }	
154	0 - 1472	
$=\frac{1}{\sqrt{80-16}}$	151480 - 135424}	Invalid
68		
$=\frac{1}{\sqrt{64.16056}}$		
68	$\frac{68}{-0.067}$	
$-\frac{1}{\sqrt{1027584}}$	1013,69 - 0,007	
$20 r - N \Sigma XY - (\Sigma XY)$	$(\Sigma X)(\Sigma Y)$	
$\sum X_{xy} = \sqrt{\{N \sum X^2 - (\sum X)^2\}}$	$\{N\sum Y^2 - (\sum Y)^2\}$	
=20.216	6 - (11)(368)	
$-\sqrt{20.11-(11)}$	$)^{2}$ {20.7574 - 368 <sup>2</sup> }	
432	20 - 4048	
$=\frac{1}{\sqrt{220-121}}$	{151480 - 135424}	Invalid
272		
$=\frac{1}{\sqrt{99.16056}}$		
272	272 - 0.215	
$-\frac{1}{\sqrt{1589544}}-\frac{1}{1}$	260,77 = 0,213	
$30 r = \frac{N \sum XY - (\Sigma XY)}{N \sum XY - (\Sigma XY)}$	$(\Sigma X)(\Sigma Y)$	
50. $I_{XY} = \sqrt{\{N \sum X^2 - (\sum X)^2\}}$	$\{N\sum Y^2 - (\sum Y)^2\}$	
20.251	- (11)(368)	
$-\sqrt{20.11-(11)}$	$)^{2}$ {20.7574 - 368 <sup>2</sup> }	Valid
502	20 - 4048	
$=\frac{1}{\sqrt{220-121}}$	{151480 - 135424}	
		1

$=\frac{972}{\sqrt{99.16056}}$	
$=\frac{972}{\sqrt{1589544}}=\frac{972}{1260.77}=0,770$	
v 2007011 2200); ;	
31. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.285 - (13)(368)	
$=\frac{1}{\sqrt{\{20.13-(13)^2\}\{20.7574-368^2\}}}$	
5700 - 4784	
$= \frac{1}{\sqrt{\{260 - 169\}\{151480 - 135424\}}}$	Valid
=	
$\sqrt{\{91.16056\}}$	
$=\frac{916}{\sqrt{1461096}}=\frac{916}{1208,75}=0,757$	
32. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.307 - (15)(368)	
$=\frac{1}{\sqrt{\{20.15-(15)^2\}\{20.7574-368^2\}}}$	
6140 - 5520	
$-\frac{1}{\sqrt{300-225}}$	Valid
$=\frac{620}{\sqrt{(27+6)^2}}$	
$\sqrt{\{75.16056\}}$	
$=\frac{620}{\sqrt{1204200}}=\frac{620}{1094,36}=0,566$	
33. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
_ 20.285 - (13)(368)	
$-\frac{1}{\sqrt{\{20.13-(13)^2\}\{20.7574-368^2\}}}$	
5700 - 4784	Valid
$-\sqrt{\{260 - 169\}\{151480 - 135424\}}$	
$=\frac{916}{\sqrt{9116056}}$	
γ (×1.10050)	

$=\frac{916}{\sqrt{1461096}}=\frac{916}{1208,75}=0,757$	
34. $\mathbf{r}_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
= <u>20.259 - (12)(368)</u>	
$\sqrt{\{20.12 - (12)^2\}\{20.7574 - 368^2\}}$	
=5180 - 4416	
$\sqrt{240 - 144}$	Valid
$=rac{764}{\sqrt{\{96.16056\}}}$	
$=\frac{764}{\sqrt{1541376}}=\frac{764}{1241,52}=0,615$	
35. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.84 - (4)(368)	
$-\sqrt{\{20.4 - (4)^2\}\{20.7574 - 368^2\}}$	
=	
$\sqrt{\{80 - 16\}\{151480 - 135424\}}$	Invalid
$=\frac{208}{\sqrt{\{64.16056\}}}$	
$=\frac{208}{\sqrt{1027584}}=\frac{208}{1013,69}=0,205$	
36. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.37 - (2)(368)	
$-\sqrt{\{20.2 - (2)^2\}\{20.7574 - 368^2\}}$	
740 - 736	
$\sqrt{40-4}{151480-135424}$	Invalid
$=rac{4}{\sqrt{\{36.16056\}}}$	
$=\frac{4}{\sqrt{578016}}=\frac{4}{760,27}=0,005$	

37. r <sub>xy</sub>	$= \frac{N\sum XY - (\sum X)(\sum Y)}{\sqrt{\{N\sum X^2 - (\sum X)^2\}\{N\sum Y^2 - (\sum Y)^2\}}}$	
	_ 20.27 - (1)(368)	
	$=\frac{1}{\sqrt{\{20.1-(1)^2\}\{20.7574-368^2\}}}$	
	_ 540 - 368	
	$-\frac{1}{\sqrt{20-1}}$	Invalid
	$=\frac{172}{\sqrt{\{19.16056\}}}$	
	$=\frac{172}{\sqrt{305064}}=\frac{172}{552,32}=0,311$	
38. r <sub>xy</sub>	$T = \frac{N\sum XY - (\sum X)(\sum Y)}{\sqrt{\{N\sum X^2 - (\sum X)^2\}\{N\sum Y^2 - (\sum Y)^2\}}}$	
	20.104 - (5)(368)	
	$=\frac{1}{\sqrt{\{20.5-(5)^2\}\{20.7574-368^2\}}}$	
	2080 - 1840	
	$=\frac{1}{\sqrt{100-25}\left\{151480-135424\right\}}}$	Invalid
	$=\frac{240}{\sqrt{\{75.16056\}}}$	
	$=\frac{240}{\sqrt{1204200}}=\frac{240}{1097,36}=0,218$	
39. r <sub>xy</sub>	$T = \frac{N\sum XY - (\sum X)(\sum Y)}{\sqrt{\{N\sum X^2 - (\sum X)^2\}\{N\sum Y^2 - (\sum Y)^2\}}}$	
	20.48 - (3)(368)	
	$=\frac{1}{\sqrt{\{20.3-(3)^2\}\{20.7574-368^2\}}}$	
	960 - 1104	
	$=\frac{1}{\sqrt{60-9}\left\{151480-135424\right\}}}$	Invalid
	$=\frac{-144}{\sqrt{\{51.16056\}}}$	
	$=\frac{-144}{\sqrt{818856}}=\frac{-144}{904,90}=-0,159$	

40. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.37 – (2)(368)	
$=\frac{1}{\sqrt{\{20.2-(2)^2\}\{20.7574-368^2\}}}$	
740 - 736	
$=\frac{1}{\sqrt{40-4}}$	Invalid
$=\frac{4}{\sqrt{36.16056}}$	
$=\frac{4}{\sqrt{578016}}=\frac{4}{760,27}=0,005$	
41. $r_{xy} = \frac{N \sum X^2 - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
=	
$-\sqrt{\{20.3-(3)^2\}\{20.7574-368^2\}}$	
=	
$\sqrt{60-9}$ {151480 - 135424}	Invalid
$=\frac{-84}{\sqrt{\{51.16056\}}}$	
$=\frac{-84}{\sqrt{818856}}=\frac{-84}{904,90}=-0,092$	
$N\sum XY - (\sum X)(\sum Y)$	
42. $r_{xy} = \frac{N \sum N^2 (\sum X)^2}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
=	
$\sqrt{\{20.1-(1)^2\}\{20.7574-368^2\}}$	
$=\frac{180-368}{\sqrt{5}}$	
$\sqrt{20-1}$ {151480 - 135424}	Invalid
$=\frac{-188}{\sqrt{19.16056}}$	
$=\frac{-188}{\sqrt{305064}}=\frac{-188}{552,32}=-0,340$	
43. $\mathbf{r}_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\} \{N \sum Y^2 - (\sum Y)^2\}}}$	Invalid
$\gamma(\cdot, \boldsymbol{\omega} \cdot \cdot, \boldsymbol{\gamma}) (\cdot, \boldsymbol{\omega} \cdot \boldsymbol{\gamma})$	

= <u>20.191 - (10)(368)</u>	
$-\sqrt{\{20.10 - (10)^2\}\{20.7574 - 368^2\}}$	
3820 - 3680	
$-\frac{1}{\sqrt{200-100}\left\{151480-135424\right\}}$	
140	
$-\sqrt{\{100.16056\}}$	
$=\frac{140}{\sqrt{125}}=\frac{140}{12}=0,110$	
√1605600 1267,12	
44. $r_{xy} = \frac{N \sum XY - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^2 - (\sum X)^2\}\{N \sum Y^2 - (\sum Y)^2\}}}$	
20.67 - (4)(368)	
$=\frac{1}{\sqrt{\{20.4-(4)^2\}\{20.7574-368^2\}}}$	
1340 - 1472	
$=\frac{1}{\sqrt{80-16} \left\{151480-135424\right\}}$	Invalid
$-\sqrt{\{64.16056\}}$	
$=\frac{-132}{100000000000000000000000000000000000$	
v1027584 1013,69	
	× 11.1
45. $r_{xy} = \frac{N \sum X^{2} - (\sum X)(\sum Y)}{\sqrt{\{N \sum X^{2} - (\sum X)^{2}\}\{N \sum Y^{2} - (\sum Y)^{2}\}}}$	Invalid
20.40 - (3)(368)	
$=\frac{1}{\sqrt{\{20.3-(3)^2\}\{20.7574-368^2\}}}$	
800 - 1104	
$=\frac{1}{\sqrt{\{60-9\}\{151480-135424\}}}$	
$-\sqrt{\{51.16056\}}$	
$=\frac{-304}{\sqrt{010056}}=\frac{-304}{00100}=-0,335$	
¥818826 904,90	

After conducted manual calculation using the correlation product moment, the writer continued the calculation using SPSS formula to find out the validity of items test. The items test was valid when  $r_{xy} > r_{table}$ . The  $r_{tabel}$  of this research was 0, 4438. Based on the data above, it showed that there were 19 item tests that the score higher than  $r_{table}$  and 26 item tests that the score lower than  $r_{table}$ . It means that there were 19 item tests were valid and 26 item tests were invalid. In order to get 20 item tests, the writer revised 1 invalid item test that similar with the valid item test. It was used to make easy in assessing the item test.

#### 4.1.2 The Reliability of Trying Out Instrument

In this research, the writer used kr-21 formula to find out the reliability of the test. It was like the validity above; in this part, the writer used manual calculation and SPSS formula for calculating the reliability of the tests. The formula of kr-21 as follows:

$$r_{11} = \binom{k}{k-1} \left(1 - \frac{k(k-M)}{kV_t}\right)$$

This is the manual calculation of reliability instrument test using kr-21 formula.

M 
$$=\frac{\sum x}{N} = \frac{368}{20} = 18,4$$

Vt 
$$= 42, 25$$

So, the calculation is:

$$r_{11} = \left(\frac{k}{k-1}\right) \left(1 - \frac{M(k-M)}{kV_t}\right)$$

$$r_{11} = \left(\frac{45}{45-1}\right) \left(1 - \frac{18,4(45-18,4)}{45,42,25}\right)$$

$$r_{11} = \left(\frac{45}{44}\right) \left(1 - \frac{18,4.26,6}{1901,25}\right)$$

$$r_{11} = (1,0227) \left(1 - \frac{489,44}{1901,25}\right)$$

$$r_{11} = (1,0227)(1-0,257)$$

$$r_{11} = (1,0227).(0,743)$$

$$r_{11} = 0,759$$

The result of manual calculation in reliability instrument was 0,759. After conducted manual calculation using the kr-21 formula, the writer continued the calculation of reliability using SPSS formula. The calculation described as follows:

# Table 4.2. The Reliability of Trying Out Instrument Using SPSSCalculation

Case Processing Summary								
N %								
	Valid	20	100.0					
Cases	Excluded <sup>a</sup>	0	.0					
	Total	20	100.0					

a. Listwise deletion based on all variables in the procedure.

Reliability	Statistics
-------------	------------

	U	
Cronbach's	Cronbach's	N of
Alpha	Alpha Based	Items
	on	
	Standardized	
	Items	
.714	.800	46

Based on the data above, it showed that the reliability of instrument using SPSS formula was 0,714, with N = 20,  $\alpha$  = 5% and  $r_{table} = 0$ , 4438. The item test was reliable when  $r_{11} > r_{table}$ . So, the instrument of the test was reliable.

## 4.2 The Data Description

In this research, the writer collected the data from pre-test and post-test both in experimental and control class. The data description was needed in this research. It showed the students' achievement in experimental and control classes before and after treatment. In this part, the writer divided into the students' pre-test and post-test scores in experimental, the students' pre-test and post-test scores in control class.

#### 4.2.1 The Students' Pre-test and post-test Scores

The pre-test and post-test conducted in experimental and control class. The pre-test was held on March 21<sup>th</sup>, 2018 and the post-test was held on April 19<sup>th</sup>, 2018 in class VIII A as experimental class which is consisting of 28 students. Besides that, in control class the pre-test and post-test was held on March 31<sup>st</sup>, 2018 and May 9<sup>th</sup>, 2018 in VIII B which consisted of 24 students. The data of pre-test and post-test scores showed as follows:

	Experin	nental Class			
No	Score Pre- test	Score Post- test	Gained Score		
1	80	95	15		
2	80	95	15 20		
3	55	75			
4	75	100	25		
5	50	100	50		
6	70	85	15		
7	70	95	25		
8	45	90	45		
9	50	90	40		
10	50	75	25		
11	70	95	25		
12	60	95	35		
13	80 95	95	15		
14	80	80 95			
15	55 90		35		
16	70	100	30		
17	30	95			
18	80	100	20		
19	55	85	30		
20	80	100	20		
21	60	85	25		
22	2 25 95		70		
23	35	70	35		
24	70	95	25		
25	65	90	25		
26	60	90	30		
27	60	95	35		
28	65	85	20		
Σ	1725	2555	830		
Mean	61,61	91,25	29,64		

Table 4.3 The Students' Pre-test and Post-test Scores in

The table above described that there was improvement between pre-test and post-test in experimental class. It could be seen from the mean score of pre-test 61,61 became 91,25 in post-test. The lowest score of pre-test was 25 and the highest score was 95. Besides that, the lowest score in post-test was 70 and the highest score was 100. It showed that there was improvement in using mistake buster technique in experimental class.

	Score Pre-	Score Post-	Gained
No	test	test	Scores
1	35	80	45
2	50	85	35
3	85	90	5
4	15	60	45
5	55	70	15
6	60	85	25
7	85	90	5
8	85	90	5
9	85	65	-20
10	50	75	25
11	45	85	40
12	60	80	20
13	35 85		50
14	80	90	10
15	45	60	15
16	60	85	25
17	40	70	30
18	20	40	20
19	80	70	-10
20	45	55	10
21	50	75	25
22	55	75	20

 Table 4.4 The Students' Pre-test and Post-test Scores in

 Control Class

23	30	85	55
24	85	70	-15
Σ	1335	1815	480
Mean	55,62	75,63	20,00

Based on the table above, it showed that the mean score of pre-test in control class was 55,62 became 75,63 in post-test. The lowest score of pre-test in control class was 15 and the highest score in control class was 85. Besides that, the lowest score in post-test was 40 and the highest score was 90. From the both of the data, the writer concludes that there was improvement in using conventional technique in control class, but the result of the pre-test and post-test scores in experimental class was higher than control class.

#### 4.3 The Data Analysis

In this part described some techniques to analyze the data. The data was analyzed using t-test formula to prove statistically whether there is any significant different between students' gained scores in experimental class and control class. The writer used manual calculation to find out t score and continued using SPSS formula.

The formula of t-test as follows:

$$\mathbf{t} = \frac{M_X - M_Y}{\sqrt{\left(\frac{\sum x^2 + \sum y^2}{N_X + N_y - 2}\right)\left(\frac{1}{N_X} + \frac{1}{N_y}\right)}}$$

In order to get the calculation of T-test, there are some procedures to be taken in this formula. The procedures as follows: 1. Determining mean of gained score of experiment class:

$$M_x = \frac{\sum X}{N_x} = \frac{830}{28} = 29,64$$

2. Determining mean of gained score of control class:

$$M_{y} = \frac{\sum y}{N_{y}} = \frac{480}{24} = 20$$

3. Determining deviation of experimental class:

$$\sum x^{2} = \sum X^{2} - \frac{(\sum X)^{2}}{N}$$

$$\sum x^{2} = 29950 - \frac{(830)^{2}}{28}$$

$$\sum x^{2} = 29950 - \frac{688900}{28}$$

$$\sum x^{2} = 29950 - 24603,57$$

$$\sum x^{2} = 5346,43$$

4. Determining deviation of control class:

$$\Sigma y^{2} = \Sigma Y^{2} - \frac{(\Sigma Y)^{2}}{N}$$
  

$$\Sigma y^{2} = 18450 - \frac{(480)^{2}}{24}$$
  

$$\Sigma y^{2} = 18450 - \frac{230400}{24}$$
  

$$\Sigma y^{2} = 18450 - 9600$$
  

$$\Sigma y^{2} = 8850$$

5. Finding t score using t-test formula:

$$\mathbf{t} = \frac{M_{\chi} - M_{y}}{\sqrt{\left(\frac{\sum x^{2} + \sum y^{2}}{N_{\chi} + N_{y} - 2}\right)\left(\frac{1}{N_{\chi}} + \frac{1}{N_{y}}\right)}}$$

$$t = \frac{29,64-20}{\sqrt{\left(\frac{5346,43+8850}{28+24-2}\right)\left(\frac{1}{28}+\frac{1}{24}\right)}}$$
$$t = \frac{9,64}{\sqrt{\left(\frac{14196,43}{50}\right)\left(\frac{6}{168}+\frac{7}{168}\right)}}$$
$$t = \frac{9,64}{\sqrt{(283,92)(0,077)}}$$
$$t = \frac{9,64}{\sqrt{21,86}} = \frac{9,64}{4,67}$$
$$t = 2,06$$

6. Determining t-table in significance level of 5% with degree of freedom (df):
df = (Nx + Ny) -2
df = (28 + 24) -2
df = 50

The score of degrees freedom (df) 50 at the degrees significant 5% is 2,009 and the score of  $t_{observe}$  is 2,06. So, it could be seen that  $t_{observe} > t_{table} = 2,06 > 2,009$ . Besides that, the writer continued the calculation using SPSS formula.

The next calculation is the calculation of gained scores in experimental and control class. It was used to answer the hypothesis of the research. The data of t-test could be seen as follows:

# Table 4.5 The T-test of Gained Scores in Experimental Class and

## **Control Class**

					Std.
				Std.	Error
Class		Ν	Mean	Deviation	Mean
Gaine	Experim	28	29,6429	14,07181	2,65932
d	ental				
Scores	Class				
	Control	24	20,0000	19,61588	4,00407
	Class				

# **Group Statistics**

		Lever Test Equa of Varia s	ne's for llity f ance	t-test for Equality of Means						
		F	Si g.	Т	df	Sig. (2- taile d)	Mean Differ ence	Std. Error Differ ence	95 Confi Interva Diffe	5% idence al of the erence
						u)		chiec	Lower	Upper
Gai ned Sco res	Equal varian ces assum es	2,4 45	,1 24	2,0 57	50	,045	9,642 86	4,687 29	,2281 6	19,057 55
	Equal varian ces not assum es			2,0 06	40 ,9 74	,051	9,642 86	4,806 72	,0647 0	19,350 42

Based on the data above, the first table is group statistics. It showed that the samples of experimental class and control class were

difference. The experimental class was 28 students with mean score are 29,64 and the control class was 24 students with the mean score 20. Then the standard deviation each group were 14,07 for experimental class and 19,61 for control class. The next table is independent samples test. It described that the analysis of Levene's Test could be seen that the significant 2 tailed is 0,045. It showed that 0,045 < 0,05, it means that there is significant difference between the post-test score in experimental class and control. Besides that, the score of  $t_{observe}$  is 2,057 and the score of  $t_{table}$  with degress of freedom 5% and df 50 is 2,009. The  $t_{observe} > t_{table} = 2,057 > 2,009$ . It means that Ha was accepted and Ho was rejected.

#### **4.4 The Data Interpretation**

This part explained about the data interpretation. It was used to answer the research question about the use of the mistake buster technique in improving students' grammar mastery at eight grade students of SMP Islam Pecangaan. Besides that, it used to prove the hypothesis. It could be prove by using the data gained score in experimental and control class with the calculation using t-test manual or SPSS. The writer proposes the null hypothesis (Ho) and alternative hypothesis (Ha) as follows:

Ho: There is no a significant difference in students' grammar mastery between the students who are taught by using the mistake buster technique and those who are taught by using the conventional technique. Ha: There is a significant difference in students' grammar mastery between the students who are taught by using the mistake buster technique and those who are taught by using the conventional technique.

The assumption of this hypothesis as follows:

- 1. If  $t_o > t_{table}$ , the null hypothesis (Ho) is rejected and the alternative hypothesis (Ha) is accepted. It means that there is an effectiveness of mistake buster technique to improve students' grammar mastery.
- 2. If  $t_o < t_{table}$  the null hypothesis (Ho) is accepted and the alternative hypothesis (Ha) is rejected. It means that there is no effectiveness of mistake buster technique to improve students' grammar mastery.

Based on the description of data above, the writer concludes that the score of  $t_0$  was 2,057 and the degree of freedom (df) was 50 with significant 5% then the score of  $t_{table}$  was 2,009. It showed that  $t_0$  higher than  $t_{table}$  (2,057 > 2,009). It means that the null hypothesis (Ho) is rejected and the alternative hypothesis (Ha) is accepted. So, there is an effectiveness of mistake buster technique to improve students' grammar mastery at eight grade students of SMP Islam Pecangaan.